

ASSESSING THE CORRELATIONAL STATISTICS: THE DIRECTION, WEIGHT AND THE RELEVANCE IN EDUCATIONAL RESEARCH

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ABSTRACT

This research delves into the critical examination of correlational statistics and their significance in the realm of educational research. Focusing on three key aspects—direction, weight, and relevance—the study aims to elucidate the nuanced nature of correlations and their implications for understanding relationships between variables in educational contexts. The investigation employs a comprehensive review of existing literature, methodological analyses, and empirical examples to highlight the importance of discerning the directionality of correlations, interpreting their strength or weight, and evaluating their relevance to educational phenomena. By shedding light on these fundamental aspects, the research contributes to a more nuanced and informed approach to utilizing correlational statistics in educational research, ultimately enhancing the precision and applicability of findings in the field.

KEYWORDS: Correlational statistics, Direction, Weight, Educational research

INTRODUCTION

In educational research, correlational statistics are an effective instrument that provide a methodical way to comprehend the correlations between different variables in educational contexts. Researchers may investigate the presence and direction of linkages as well as the strength or weight of these connections according to this scientific technique. Interpreting correlations' weight and direction is a crucial part of evaluating correlational statistics in educational research, and the results may help guide initiatives, policies, and practices in the field of education. In fact, correlation is defined as the statistical link between two items by the Editorial Team (2023). To put it another way, it's the movement of two variables in connection to one another. A crucial aspect of educational research is determining the direction of correlations. The positive or negative nature of a link between two variables is shown by correlation coefficients, such as Pearson's r . Positive correlations, on the other hand, indicate that one variable tends to grow when the other tends to decrease, and vice versa for negative correlations. Finding the direction of correlations in educational contexts is helpful in deciphering complicated relationships, including those between

study habits and academic achievement or instructional strategies and student engagement.

Numerous disciplines, including psychology, economics, biology, and sociology, use correlational statistics to investigate relationships between distinct variables. Correlational analysis is a tool used by researchers to find trends, forecast outcomes, and develop theories for more study. Correlation does not indicate causality, despite the fact that correlational studies are useful for identifying relationships. The observed association might be influenced by other variables or causes, hence more proof and experimental designs are needed to show causality (Rencher, 2023). For educational researchers, correlations' weight or strength is just as important.

Stronger correlations are indicated by greater absolute values of correlation coefficients, which range from -1 to 1. Researchers can evaluate the degree of connection between variables by weighing the correlations. Predicting educational outcomes, identifying key players in the learning process, and assessing the effectiveness of interventions are all made possible with the use of this information. For example, a strong positive link between academic achievement and attendance may highlight how crucial consistent attendance is to effective learning outcomes. Because correlational statistics may help with policy formation, program assessment, and decision-making, they are extremely relevant in the field of educational research. Through the process of discerning and measuring correlations between variables, researchers are able to forecast outcomes, assess the efficacy of educational initiatives, and further our comprehension of the variables that impact learning outcomes.

Correlational insights can help educational officials make well-informed decisions about curriculum development, budget allocation, and the use of focused interventions. Fernando (2023) states that a statistical indicator of how strongly two variables is related in a linear fashion is the correlation coefficient. Its possible values are between -1 and 1. A complete negative, or inverse, correlation is represented by a correlation coefficient of -1, where values in one series rise while those in the other series drop and vice versa. A straight association, or complete positive correlation, is shown by a coefficient of 1. When the correlation coefficient is zero, a linear link is absent. We will examine particular cases and research that demonstrate how the direction and strength of correlations add to a more complex understanding of educational phenomena in the context of correlational statistics in educational research. Our goal is to draw attention to the role that correlational statistics have had in influencing the field of educational research and practice by critically analyzing pertinent literature and methodology.

CONCEPT OF CORRELATION

According to JMP Statistical Discovery LLC. (2023) Correlation is a statistical measure that expresses the extent to which two variables are linearly related (meaning they change together at a constant rate). It's a common tool for describing simple relationships without making a statement about cause and effect. Correlation is a statistical concept that measures the degree of association or relationship between two variables. It provides insights into how changes in one variable may be

related to changes in another. The correlation coefficient, typically denoted as "r," quantifies the strength and direction of the linear relationship between variables. The coefficient ranges from -1 to 1, where -1 indicates a perfect negative correlation, 1 indicates a perfect positive correlation, and 0 indicates no correlation. Correlation is widely used in various fields, including economics, psychology, and epidemiology, to explore connections between variables. For example, in finance, correlation analysis helps investors diversify portfolios by understanding how different assets move in relation to one another. In psychology, researchers might use correlation to examine the relationship between two psychological traits. Additionally, in epidemiology, correlation is employed to investigate potential associations between exposure to certain factors and the occurrence of diseases. Understanding correlation is crucial for making informed decisions based on data analysis. However, it is important to note that correlation does not imply causation. Just because two variables are correlated does not mean that one causes the other. Spurious correlations, where two variables are related by coincidence or influenced by a third variable, can occur. Therefore, it is essential to interpret correlation results cautiously and consider additional evidence to establish causation (Cohen, 2022).

Indeed, the Editorial Team (2023) says that correlation refers to the statistical relationship between two entities. In other words, it's how two variables move in relation to one another. Correlation can be used for various data sets as well. In some cases, you might have predicted how things will correlate, while in others, the relationship will be a surprise to you. It's important to understand that correlation does not mean the relationship is causal. Correlation analysis provides a valuable tool for researchers and practitioners to gain insights into the relationships between variables and make informed decisions. Its versatility allows it to be applied in a multitude of disciplines, contributing to a better understanding of various phenomena. However, it is crucial to approach correlation results with caution, recognizing their limitations and the need for further investigation to establish causation. As statistical methodologies continue to evolve, correlation analysis remains a foundational concept for uncovering patterns and relationships within data, fostering advancements in research and decision-making processes across diverse fields.

Correlation refers to a process for establishing relationships between two variables. You learned that a way to get a general idea about whether or not two variables are related is to plot them on a "scatter plot." While there are many measures of association for variables that are measured at the ordinal or higher level of measurement, correlation is the most commonly used approach (BYJU'S, 2023). A correlation is a statistical measure that indicates the extent to which two or more variables fluctuate in relation to each other. A positive correlation indicates the extent to which those variables increase or decrease in parallel; a negative correlation indicates the extent to which one variable increases as the other decreases (Wigmore, 2023). According to Hayes (2023), correlation, in the finance and investment industries, is a statistic that measures the degree to which two securities move in relation to each other. Correlations are used in advanced portfolio management and are computed as the correlation coefficient, which has a value that must fall between -1.0 and +1.0.

CONCEPT OF CORRELATIONAL STATISTICS

According to Pearson (2023), correlational statistics is a branch of statistical analysis that focuses on quantifying the degree of association or relationship between two or more variables. Unlike experimental designs that involve manipulating variables to establish causation, correlational studies observe and analyze naturally occurring relationships. The primary goal of correlational statistics is to measure the strength and direction of the linear relationship between variables using correlation coefficients. The most commonly used correlation coefficient is Pearson's correlation coefficient (r), which ranges from -1 to 1. A positive value of r indicates a positive correlation, meaning that as one variable increases, the other tends to increase as well. Conversely, a negative value signifies a negative correlation, implying that as one variable increases, the other tends to decrease. A correlation coefficient of 0 suggests there is no linear relationship between the variables.

Correlational statistics is applied in various fields, such as psychology, economics, biology, and sociology, to explore connections between different factors. Researchers use correlational analysis to identify patterns, make predictions, and generate hypotheses for further investigation. While correlational studies are valuable for uncovering associations, it's essential to recognize that correlation does not imply causation. Other factors or variables may influence the observed relationship, and establishing causation requires additional evidence and experimental designs (Rencher, 2023). In addition to Pearson's correlation coefficient, other methods of correlational analysis include Spearman's rank correlation coefficient for non-linear relationships and point-biserial correlation for dichotomous and continuous variables. Correlational statistics play a crucial role in the toolkit of researchers and analysts, providing a means to understand and quantify the relationships between variables in real-world scenarios.

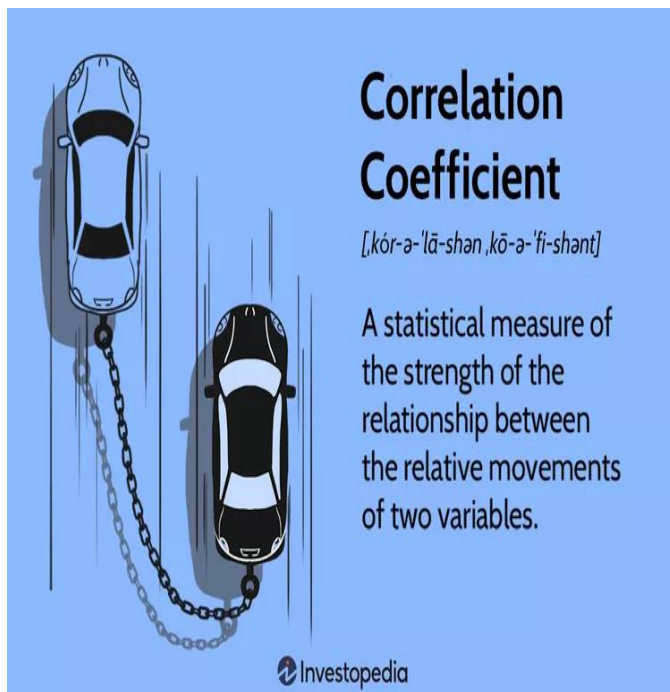
CONCEPT OF CORRELATION COEFFICIENT

According to BYJU's (2023), the correlation coefficient is a statistical concept that helps establish a relation between predicted and actual values obtained in a statistical experiment. The calculated value of the correlation coefficient explains the exactness between the predicted and actual values. A correlation coefficient is a number between -1 and 1 that tells you the strength and direction of a relationship between variables (Bhandari, 2021). A correlation coefficient is a statistical measure of the degree to which changes to the value of one variable predict changes to the value of another. A correlation coefficient is a numerical measure of some type of correlation, meaning a statistical relationship between two variables. The variables may be two columns of a given data set of observations, often called a sample, or two components of a multivariate random variable with a known distribution (Wikipedia, the free encyclopedia, 2023).

According to Fernando, (2023), the correlation coefficient is a statistical measure of the strength of a linear relationship between two variables. Its values can range from -1 to 1. A correlation coefficient of -1 describes a perfect negative, or inverse, correlation, with values in one series rising as those in the other decline, and vice versa. A coefficient of 1 shows a perfect positive correlation, or a direct relationship. A correlation coefficient of 0 means there is no linear relationship.

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In positively correlated variables, the value increases or decreases in tandem. In negatively correlated variables, the value of one increase as the value of the other



decreases. One example use case of a correlation coefficient would be to determine the correlation between unlicensed software and malware attacks (Wigmore, 2023). Correlation coefficients are used to measure how strong a relationship is between two variables. There are several types of correlation coefficients, but the most popular is Pearson's. Pearson's correlation (also called Pearson's R) is a correlation coefficient commonly used in linear regression. If you're starting out in statistics, you'll probably learn about Pearson's R first. In fact, when anyone refers to the correlation coefficient, they are usually talking about Pearson's (Statistics How To 2023). The term "correlation" can be defined as a relationship or connection between two

things. But in mathematics, that term takes on an even more specific meaning: the interdependence between variables. More specifically, correlation and correlation coefficients measure the degree to which two variables are linearly related. Correlation coefficients are calculated on a scale from -1.0 to 1.0. Correlation is

typically used to assess the connection between two variables being studied. For example, a researcher might decide to use correlation to assess the connection between students' sleep habits and their GPA. They might survey 100 students and ask them to report their GPA and the number of hours they sleep on an average night. Afterward, a correlation coefficient can be calculated and interpreted, as discussed in the following sections (Study.com 2023).

The correlation coefficients, or coherence coefficients, between different polarizations are very important polarimetric parameters because they are sensitive to many target parameters. For example, the HH-VV correlation coefficient has been found to be sensitive to the dielectric constant and the RMS height condition of rough surfaces. Where SHH, SHV, SVH, and SHV are elements of the target scattering matrix (S) obtained by transmitting the signal in H and V polarization and receiving it in H and V polarization. In contrast, the (HH + VV) – (HH – VV) correlation coefficient has been reported to be sensitive to surface roughness and is significantly independent of surface soil moisture content and the local incidence angle.

TYPES OF CORRELATIONAL STATISTICS (PPMC, RHO CORRELATION/SPEARMAN CORRELATION)

According to Statistics Solutions, (2023) types of Correlation are: (Pearson r Correlation, Kendall rank Correlation, Spearman rank Correlation).

- **Pearson r correlation:** Pearson r correlation is the most widely used correlation statistic to measure the degree of the relationship between linearly related variables. For example, in the stock market, if we want to measure how two stocks are related to each other, Pearson r correlation is used to measure the degree of relationship between the two. The point-biserial correlation is conducted with the Pearson correlation formula except that one of the variables is dichotomous. The following formula is used to calculate the Pearson r correlation:

$$r_{xy} = \frac{n \sum x_i y_i - \sum x_i \sum y_i}{\sqrt{n \sum x_i^2 - (\sum x_i)^2} \sqrt{n \sum y_i^2 - (\sum y_i)^2}}$$

rx_y = Pearson r correlation coefficient between x and y

n = number of observations

x_i = value of x (for ith observation)

y_i = value of y (for ith observation)

- **Kendall rank correlation:** Kendall rank correlation is a non-parametric test that measures the strength of dependence between two variables. If we consider two samples, a and b, where each sample size is n, we know that the total number of pairings with a b is n(n-1)/2. The following formula is used to calculate the value of Kendall rank correlation:

$$\tau = \frac{n_c - n_d}{\frac{1}{2}n(n-1)}$$

Nc= number of concordant

Nd= Number of discordant

- **Spearman rank correlation:** Spearman rank correlation is a non-parametric test that is used to measure the degree of association between two variables. The Spearman rank correlation test does not carry any assumptions about the distribution of the data and is the appropriate correlation analysis when the variables are measured on a scale that is at least ordinal. The following formula is used to calculate the Spearman rank correlation:

$$\rho = 1 - \frac{6 \sum d_i^2}{n(n^2 - 1)}$$

ρ = Spearman rank correlation

d_i = the difference between the ranks of corresponding variables

n = number of observations

DIRECTION OF CORRELATIONAL STATISTICS (+/-)

The direction of the relationship (positive or negative) is indicated by the sign of the coefficient. A positive correlation implies that increases in the value of one score tend to be accompanied by increases in the other. A negative correlation implies that increases in one are accompanied by decreases in the other (University of Washington, 2023). Correlational statistics examines the relationships between variables, helping researchers understand the direction and strength of associations. The most common measure of direction in correlational statistics is the correlation coefficient, denoted as "r." The sign of the correlation coefficient indicates the direction of the relationship between variables.

- **Positive Correlation:** A positive correlation ($r > 0$) implies that as one variable increases, the other tends to increase as well. For example, as the number of hours spent studying increases, exam scores may also increase. A positive correlation when the correlation coefficient is greater than 0 signifies that both variables tend to move in the same direction. When ρ is +1, it signifies that the two variables being compared have a perfect positive relationship; when one variable moves higher or lower, the other variable moves in the same direction with the same magnitude. The closer the value of ρ is to +1, the stronger the linear relationship. For example, suppose the value of oil prices is directly related to the prices of airplane tickets, with a correlation coefficient of +0.95. The relationship between oil prices and airfares has a very strong positive correlation since the value is close to +1. So, if the price of oil decreases, airfares also decrease, and if the price of oil increases, so do the prices of airplane tickets.
- **Negative Correlation:** A negative correlation ($r < 0$) suggests that as one variable increases, the other tends to decrease. An example could be the relationship between the number of hours spent watching TV and academic performance. A negative (inverse) correlation occurs when the correlation coefficient is less than 0. This is an indication that both variables move in the opposite direction. In short, any reading between 0 and -1 means that the two securities move in opposite directions. When ρ is -1, the relationship is said to be perfectly negatively correlated. In short, if one variable increases, the other variable decreases with the same magnitude (and vice versa). However, the degree to which two securities are negatively correlated might vary over time (and they are almost never exactly correlated all the time).

STRENGTH OF CORRELATIONAL STATISTICS (VL, L, M, H, VH)

The weight or strength of correlational statistics is typically interpreted based on the magnitude of the correlation coefficient (r).

Here is a general guideline for interpreting the strength of correlations:

- Very Low (0 to 0.19):
- Little to no relationship between variables.
- Low (0.20 to 0.39):
- Weak or minimal relationship.
- Moderate (0.40 to 0.59):
- Moderate strength of relationship.
- High (0.60 to 0.79):
- Strong relationship.
- Very High (0.80 to 1.00):
- Very strong or perfect relationship.

THE RELEVANCE IN CORRELATIONAL STATISTICS EDUCATIONAL RESEARCH

Correlational statistics plays a crucial role in educational research, providing valuable insights into relationships between variables within educational settings. According to Creswell, (2022) Here are several ways in which correlational statistics is relevant in educational research:

- ***Identification of Relationships:*** Correlational studies help researchers identify and quantify relationships between various educational variables. For example, researchers might investigate the correlation between student attendance and academic performance or the relationship between teaching methods and student engagement.
- ***Prediction and Forecasting:*** By understanding the relationships between different educational factors, correlational statistics enables researchers to make predictions and forecasts. This can be applied to predicting academic success, identifying at-risk students, or forecasting the impact of certain interventions on educational outcomes.
- ***Program Evaluation:*** Correlational analysis is used to evaluate the effectiveness of educational programs and interventions. Researchers can examine the correlation between program participation and changes in student achievement or behavior, providing valuable insights for program improvement.
- ***Identifying Factors Influencing Learning:*** Correlational studies can help identify factors that influence learning outcomes. For instance, researchers may explore the correlation between study habits, motivation, and academic achievement to better understand the key determinants of success in educational contexts.
- ***Policy and Decision-Making:*** Educational policymakers can benefit from correlational research by using statistical insights to inform decisions related to curriculum development, resource allocation, and the implementation of educational initiatives. For instance, correlations between class size and student performance might influence decisions on resource distribution.

- ***Understanding Complex Educational Phenomena:*** Education is a complex system with numerous interacting variables. Correlational studies allow researchers to explore these complexities by examining how different factors interact and influence each other. This can contribute to a more nuanced understanding of the educational environment

CONCLUSION

Assessing correlational statistics in educational research provides a nuanced understanding of the complex relationships between variables within educational settings. The direction of correlations, whether positive or negative, reveals the nature of associations, while the weight or strength of correlations quantifies the degree of interconnectedness. The relevance of correlational statistics in educational research is evident in its ability to inform decision-making, predict outcomes, and evaluate the effectiveness of educational programs. By interpreting these statistical measures, researchers and educators gain valuable insights that contribute to evidence-based practices, policy development, and a more profound comprehension of the factors influencing learning outcomes. Correlational statistics, with their capacity to uncover patterns and relationships, stand as an indispensable tool in shaping the landscape of educational research and enhancing the quality of education.

RECOMMENDATION

In light of the assessment of correlational statistics in educational research, it is recommended that researchers and educators prioritize a thorough understanding of the direction and weight of correlations in their analyses. By doing so, they can extract more meaningful insights into the relationships between educational variables. Moreover, considering the relevance of correlational statistics, practitioners should incorporate these findings into decision-making processes, program evaluations, and policy formulation. To enhance the robustness of educational research, collaboration between statisticians and educators is encouraged, fostering a multidisciplinary approach to data interpretation. Also, ongoing professional development in statistical literacy is crucial for researchers and educators alike, ensuring a proficient and informed application of correlational statistical in the dynamic landscape of educational research.

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